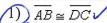
Triangle Proofs Multiple Choice

1. In the diagram below, \overrightarrow{FE} bisects \overline{AC} at B, and \overrightarrow{GE} bisects \overline{BD} at C.

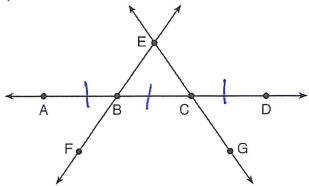
Which statement is always true?



2)
$$\overline{FB} \cong \overline{EB} \times$$

3)
$$\overrightarrow{BD}$$
 bisects \overrightarrow{GE} at $C. \times$

4)
$$\stackrel{\longleftrightarrow}{AC}$$
 bisects \overline{FE} at B .

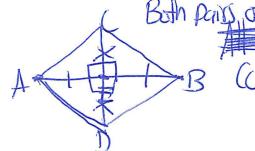


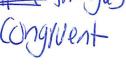
2. Segment CD is the perpendicular bisector of \overline{AB} at E. Which pair of segments does *not* have to be congruent?

1)
$$\overline{AD}, \overline{BD}$$

2)
$$\overline{AC}, \overline{BC}$$

3)
$$\overline{AE}, \overline{BE}$$





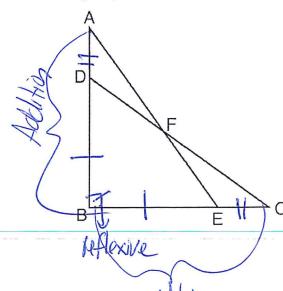
3. Given: $\triangle ABE$ and $\triangle CBD$ shown in the diagram below with $\overline{DB} \cong \overline{BE}$ Which statement is needed to prove $\triangle ABE \cong \triangle CBD$ using only SAS \cong SAS?

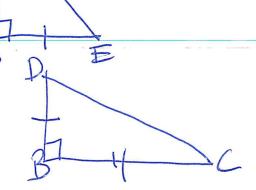
1)
$$\angle CDB \cong \angle AEB$$

2)
$$\angle AFD \cong \angle EFC$$

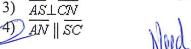
$$AD \cong \overline{CE}$$





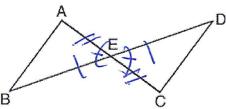


4. In the diagram below, AKS, NKC, AN, and SC are drawn such that AN ≈ SC.
Which additional statement is sufficient to prove △KAN ≈ △KSC by AAS?
1) AS and NC bisect each other.
2) K is the midpoint of NC.



Ned an angle

5. In the diagram below, \overline{AC} and \overline{BD} intersect at E.



Which information is always sufficient to prove $\triangle ABE \cong \triangle CDE$?

1) $\overline{AB} \parallel \overline{CD}$

3) E is the midpoint of \overline{AC} .

- 2) $\overline{AB} \cong \overline{CD}$ and $\overline{BE} \cong \overline{DE}$
- \overline{BD} and \overline{AC} bisect each other.

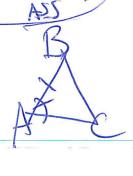
6. She was given that $\angle A \cong \angle EDF$, and has already proven $\overline{AB} \cong \overline{DE}$. Which pair of corresponding parts and triangle congruency method would *not* prove $\triangle ABC \cong \triangle DEF$?

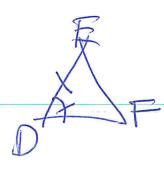
1) $\overline{AC} \cong \overline{DF}$ and SAS ν

3) $\angle C \cong \angle F$ and AAS

2) $\overline{BC} \cong \overline{EF}$ and SAS \times

4) $\angle CBA \cong \angle FED$ and ASA





7. Triangles JOE and SAM are drawn such that $\angle E \cong \angle M$ and $\overline{EJ} \cong \overline{MS}$. Which mapping would not always lead to $\triangle JOE \cong \triangle SAM$? 1) $\angle J$ maps onto $\angle S \swarrow ASA$ 3) \overline{EO} maps onto $\overline{MA} \swarrow SAS$ 2) $\angle O$ maps onto $\angle A \swarrow ASS$ 3) \overline{EO} maps onto $\overline{SA} \swarrow ASS$
SHE SHAM
8. In the two distinct acute triangles ABC and DEF , $\angle B \cong \angle E$. Triangles ABC and DEF are congruent when there is a sequence of rigid motions that maps 1) $\angle A$ onto $\angle D$, and $\angle C$ onto $\angle F$, AAA 2) AC onto \overline{DF} , and \overline{BC} onto \overline{EF} ASA 4) point A onto point D , and \overline{AB} onto \overline{DE} ASA 4) point A onto point D , and \overline{AB} onto \overline{DE}
9. In $\triangle ABC$, \overline{BD} is the perpendicular bisector of \overline{ADC} . Based upon this information, which statements below can be proven? I. \overline{BD} is a median. $A\overline{D} = \overline{DC}$ II. \overline{BD} bisects $\angle ABC$. $\overline{ABD} = \overline{BC}$ 1) I and II, only 2) I and III, only 3) II and III, only 4) I, II, and III
10. Line segment EA is the perpendicular bisector of \overline{ZT} , and \overline{ZE} and \overline{TE} are drawn. Which conclusion can not be proven? 1) EA bisects angle ZET. / ZEASCIEA 2) Triangle EZT is equilateral.
3) EA is a median of triangle EZT. 4) Angle Z is congruent to angle T. ZA SAT ZA SAT ZA SAT T